IMPROVEMENT OF PROBABILISTIC ACOUSTIC TUBE MODEL FOR SPEECH DECOMPOSITION

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Motivation

Drawbacks of Current Model-based Methods

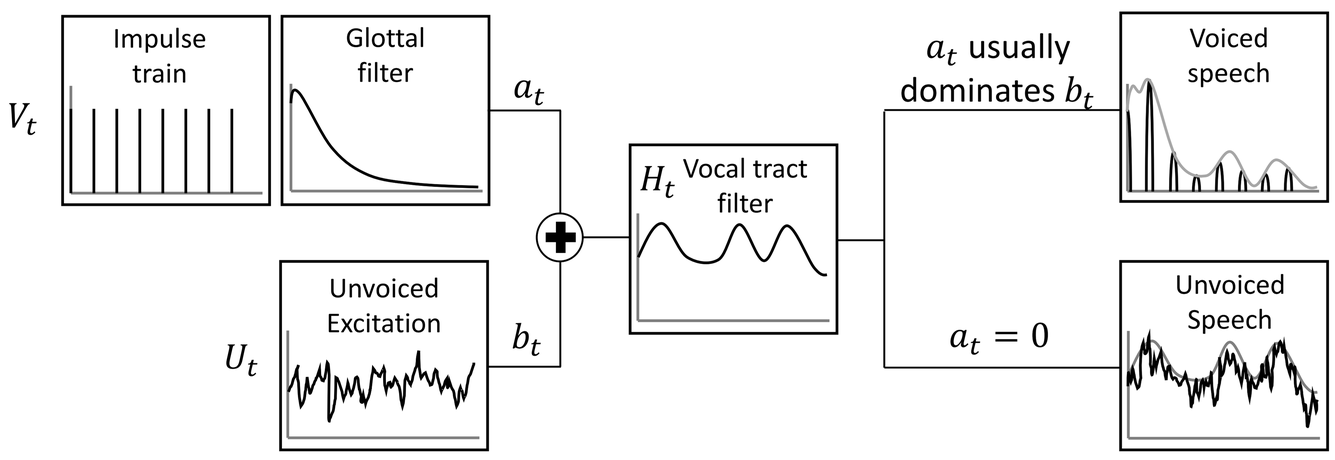
- **Incomplete** - tend to model only a part of parameters of interest, and disregard others that might also be important.
- Speech analysis may be **inaccurate** or even **incorrect**:
  - Chicken and egg effect;
  - LPC and MFCC corrupted by spectral tilt.

Highlights of PAT2

- A **probabilistic generative model** that **jointly** considers all speech parameters;
- Incorporates **breathiness** and **glottal vibration**;
- Incorporates **phase modeling** and so completely defines a probabilistic model for the complex spectrum of speech;
- **Makes U/V states a continuum** by introducing voiced amplitude and unvoiced amplitude, which is closer to the nature of speech.

PAT2 Signal Modeling

The Source Filter Model with Mixed Excitation

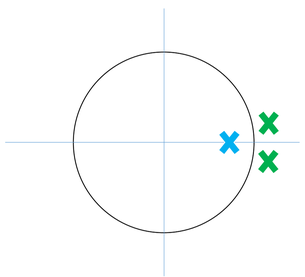


speech: $S_t(\omega) = [a_t V_t(\omega) + b_t U_t(\omega)] H_t(\omega) \circledast W_t(\omega)$

voiced excitation: $V_t(\omega) = G_t(\omega) e^{-j\omega\tau_t} \sum_k \delta(\omega - k\omega_{0t})$

- $G_t(\omega)$: glottal transfer function
- $e^{-j\omega\tau_t}$: group delay
- $\sum_k \delta(\omega - k\omega_{0t})$: dirac delta function
- ω_{0t}: fundamental frequency
- unvoiced excitation
- $H_t(\omega)$: vocal tract transfer function
- $W_t(\omega)$: windowing function

Glottal Filter



$$G_t(\omega) = \left(1 + g_{1t}\cos\beta_t e^{-jw} + g_{1t}^2 e^{-2j\omega}\right)^{-1} \left(1 + g_{2t}e^{-j\omega}\right)^{-1}$$

- β_t: magnitude & phase of the anti-causal poles
- g_{2t}: magnitude of the causal pole

Vocal Tract Filter

When **negative sign** and **group delay** is removed, complex cepstrum decay at the rate of $1/\hat{n}$.

$$H_t(\omega) = \exp\left[\sum_{\hat{n}=1}^{K} \hat{h}[\hat{n}] \exp(-jm(\omega)\hat{n})\right]$$

- K: mel-frequency **complex** cepstral coefficients
- $\hat{n}$: quefrency
- $m(\omega)$: mel-frequency

PAT2 Probabilistic Modeling

Convert to DFT and Vectorize

$$\boldsymbol{s}_t = a_t\boldsymbol{\xi}_t + b_t\boldsymbol{\eta}_t$$

$$\boldsymbol{\eta}_t \sim \mathcal{N}(0, \boldsymbol{H}_t)$$

Convert to Mel Frequency

$$\tilde{\boldsymbol{s}}_t = \boldsymbol{F}\boldsymbol{s}_t = a_t\boldsymbol{F}\boldsymbol{\xi}_t + b_t\boldsymbol{F}\boldsymbol{\eta}_t$$

$$\tilde{\boldsymbol{s}}_t \sim \mathcal{N}(a_t\boldsymbol{F}\boldsymbol{\xi}_t, b_t^2\boldsymbol{F}\boldsymbol{H}_t\boldsymbol{F}^T)$$

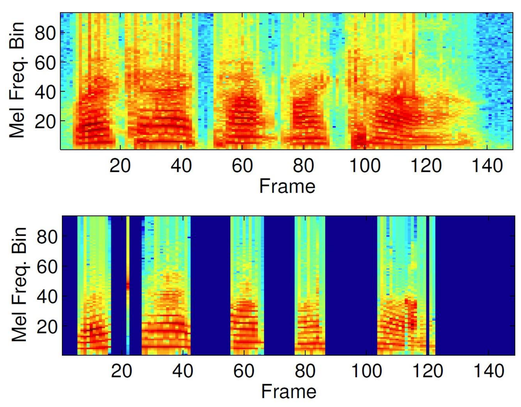
Add Prior

$$P_{\theta_t|\theta_{t-1}}(u|v) \propto -\frac{(u-v)^2}{\sigma_\theta^2}$$

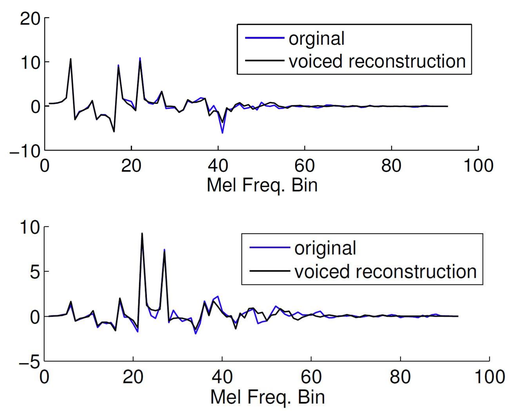
Analysis with **MAP**

Experimental Results

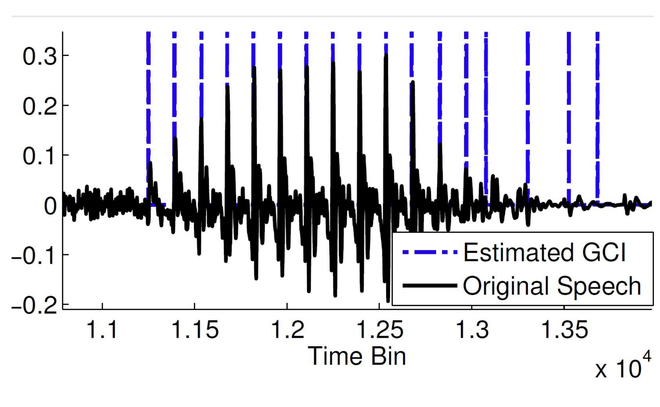
Voiced Reconstruction



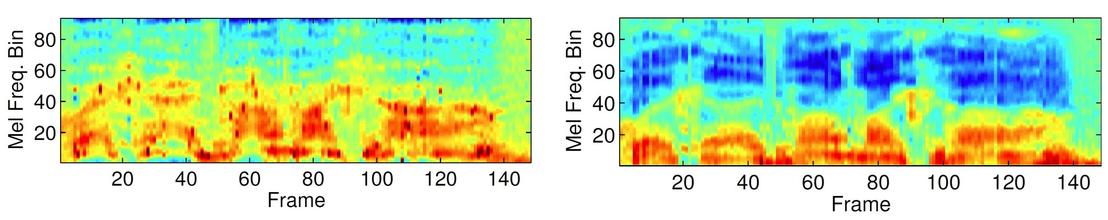
Voiced Reconstruction – Single Frame



GCI Location Estimation



Vocal Tract Filter Estimation



Voiced vs Whispered